

Homework #6 for CCB 425/525, Spring 2022

due Tues., Nov 15 in class

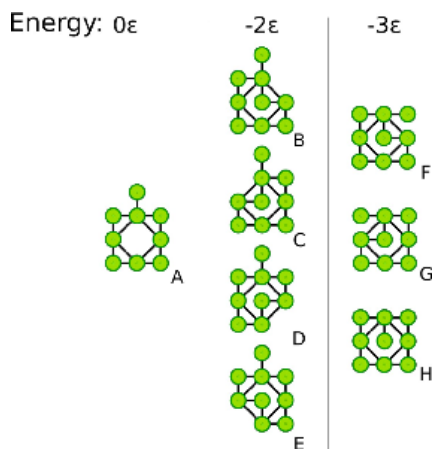
Instructions: Unlike other homework assignments, please complete this *on your own*, without consulting anyone else.

- Suppose that, at constant pressure and over some temperature range, the molar free energy $G_m(T)$ can be fit to a polynomial $G_m(T) = a + bT + cT^3$ where a , b , and c are constants.
 - What are $H_m(T)$ and $S_m(T)$ under these conditions? Write your result in terms of the constants a , b and c .
 - Show explicitly that these results satisfy the Gibbs-Helmholtz equation:

$$\left(\frac{\partial(G/T)}{\partial T}\right)_p = -\frac{H(T)}{T^2}$$

(that is: evaluate both sides of the above equation in terms of the constants a , b and c , and show that they are equal)

- A polymer has 8 different conformations, some of which have different energies:



- Write down the partition function of the system in terms of ϵ and T ; ignore translational and rotational degrees of freedom.
 - Obtain a numerical value for Q if $\epsilon = 2.0$ kcal/mol and $T=310$ K.
 - What are the numerical values for F , H , and S at 310K? In each case, write an algebraic expression in terms of ϵ and T , and then compute a numerical value with the constants given in part (b).
- In a reaction where A can be converted to B (and vice versa), let the equilibrium constant K be 25 at $T=300$ K.
 - What is the numerical value of $\Delta\mu^\circ$ at 300K?
 - If Δh° is 15 kcal/mol, what is the numerical value of K at 305K?
 - What is the numerical value of Δs° at 300K?